## Question

Dear Professor Pfeifer,

I have a question regarding the timing convention in Dynare. I have the following equations:

$$B_t = L_t + (1 - m)(1 - \gamma)\frac{B_{t-1}}{\pi_t}$$
(1)

$$L_t \le \varphi_t \xi_t Q_t^h h_t^{I*} \tag{2}$$

$$h_t^I = h_t^{I*} + (1-m)h_{t-1}^I$$
(3)

$$\omega_t^* = \frac{B_{t-1}}{\pi_t Q_t^h h_{t-1}^I}$$
(3)  
(4)

 $B_t$  is the long-term debt. Equation (1) says that the impatient household enters with (1 - m)(1 - m) $\gamma$ ) $B_{t-1}$  long term debt. In t, impatient household borrows  $L_t$  from the banks and at the end of the period, household's debt is  $B_t$ .

Equation (2) is loan-to-value constraint.  $\varphi_t$  is time varying LTV constraint,  $\xi_t$  is the exogenous shock,  $Q_t^h$  is the house price in t,  $h_t^{I*}$  is the new housing investment in t.

Equation (3) says that household enters in t with  $(1-m)h_{t-1}^{I}$  housing stock, makes new housing purchases  $-h_t^{I*}$  and at the end of t, housing stock is  $h_t^I$ .

In the equation (4),  $\omega_t^*$  is the default threshold, which is derived from solving impatient household's problem.

My question is how should I write this 4 equations in the Dynare to be consistent with the Dynare timing convention?

I wrote these 4 equations in the Dynare in the following way

$$B = L + (1 - m)(1 - \gamma)\frac{B(-1)}{\pi}$$
(5)

$$L \le \varphi * \xi * Qh * hIstar \tag{6}$$

$$hI = hIstar + (1 - m) * hI(-1)$$
(7)

$$omegastar = \frac{B(-1)}{\pi * Qh * hI(-1)}$$
(8)

Is this correct? The problem is that Dynare gives me an error. I could not solve this problem

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There are 21 eigenvalue(s) larger than 1 in modulus
for 20 forward-looking variable(s)
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The rank condition ISN'T verified!

MODEL DIAGNOSTICS: No obvious problems with this mod-file were detected. Error using print info (line 42) Blanchard Kahn conditions are not satisfied: no stable equilibrium

## Figure 1

Thank you very much for your help.